$\qquad$ col....

| 1. | 2. | 3. | $\sum$ |
| :--- | :--- | :--- | :--- |
|  |  |  |  |

1.(2p) Write the mathematical formulas corresponding to the following statement with the help of the following signs only: propositional connectives, quantifiers, and symbols $\in, \mathbb{R}, \mathbb{R}^{\mathbb{R}}, \leq,<,=, \cdot,+,-, 0$. every odd function has a maximum if and only if it has a minimum
2.(2p) Find sup for every par of elements

| sup | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | 1 |  |  |  |  |  |  |  |  |
| 2 | x | 2 |  |  |  |  |  |  |  |
| 3 | x | x | 3 |  |  |  |  |  |  |
| 4 | x | x | x | 4 |  |  |  |  |  |
| 5 | x | x | x | x | 5 |  |  |  |  |
| 6 | x | x | x | x | x | 6 |  |  |  |
| 7 | x | x | x | x | x | x | 7 |  |  |
| 8 | x | x | x | x | x | x | x | 8 |  |
| 9 | x | x | x | x | x | x | x | x | 9 |

3.(4p) For $(x, y),(z, t) \in \mathbb{R}^{2}(x, y) \sim(z, t) \Leftrightarrow \exists k \in \mathbb{Z} \sin x-y+k=\sin z-t$. Prove $\sim$ is equivalence relation in $\mathbb{R}^{2}$. Find and draw equivalence class $[(0,1)]_{\sim}$.
$\qquad$
group HA... row

1. 2. 3. $\sum$
1.(2p) Write the mathematical formulas corresponding to the following statement with the help of the following signs only: propositional connectives, quantifiers, and symbols $\in, \mathbb{R}, \mathbb{R}^{\mathbb{R}}, \leq,<,=, \cdot,+,-, 0$. every even function has a maximum or a minimum
2.(2p) Find inf for every par of elements


| $\inf$ | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | 1 | x | x | x | x | x | x | x | x |
| 2 |  | 2 | x | x | x | x | x | x | x |
| 3 |  |  | 3 | x | x | x | x | x | x |
| 4 |  |  |  | 4 | x | x | x | x | x |
| 5 |  |  |  |  | 5 | x | x | x | x |
| 6 |  |  |  |  |  | 6 | x | x | x |
| 7 |  |  |  |  |  |  | 7 | x | x |
| 8 |  |  |  |  |  |  |  | 8 | x |
| 9 |  |  |  |  |  |  |  |  | 9 |

3.(4p) For $(x, y),(z, t) \in \mathbb{R}^{2}(x, y) \sim(z, t) \Leftrightarrow \exists k \in \mathbb{Z}|x|-y+k=|z|-t$. Prove $\sim$ is equivalence relation in $\mathbb{R}^{2}$. Find and draw equivalence class $[(0,1)]_{\sim}$.

